

1 Letter

2 **Assessing the ecological resilience of communities to environmental changes**

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4 BERNT-ERIK SÆTHER.

5 STEINAR ENGEN

6 and

7 ERIK BLYSTAD SOLBU<sup>3</sup>

8

9 *<sup>1</sup>Department of Biology*  
10 *Centre for Biodiversity Dynamics*  
11 *Norwegian University of Science and Technology (NTNU)*  
12 *Realfagsbygget*  
13 *NO-7491 Trondheim*  
14 *Norway*

15 *<sup>2</sup>Centre for Biodiversity Dynamics*  
16 *Department of Mathematical Sciences*  
17 *Norwegian University of Science and Technology (NTNU)*  
18 *Realfagsbygget*  
19 *NO-7491 Trondheim*  
20 *Norway*

21 *<sup>3</sup>Department of Landscape and Biodiversity*  
22 *Norwegian Institute of Bioeconomy Research (NIBIO)*  
23 *N-7031 Trondheim*  
24 *Norway*

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26 **AUTHORS CONTRIBUTIONS.** All authors helped in designing the study. SE and EBS  
27 developed the model. EBS estimated the parameters. BES assembled the data and all authors  
28 contributed to the interpretation of the results and the writing of the paper.

29

30 **DATA ACCESSIBILITY.** All data are previously published but will still be archived in an  
31 appropriate public repository

32

33 **RUNNING HEAD:** Ecological resilience of communities

34

35 **WORD COUNT:** Main text; 4103 words  
36 Abstract: 147 words

37

38 **KEY WORDS:** community dynamics, ecological resistance, lognormal species abundance  
39 distribution, sensitivity to environmental change, species-area curves, species diversity.

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41 **NUMBER OF REFERENCES:** 64

42

43 **Abstract**

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Here we propose two metrics to assess the ecological resilience of communities based on

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how changes in the overall abundance of individuals affect the number of species. The

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*community sensitivity* expresses the rate of change in the log expected number of species

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with respect to the log expected total number of individuals, whereas the *community*

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*resistance* is the proportional reduction in community size that will reduce the expected

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number of species by one. Estimates of these metrics in four bird communities in European

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deciduous forests using a stochastic model for the community dynamics revealed large

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differences in the resilience to permanent changes of the environment. In particular,

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stochastic influences from environmental fluctuations strongly affected the sensitivity and

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the resistance caused by area loss or increased environmental stochasticity. This shows that

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ecological resilience is closely related to which processes that most strongly affect the

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temporal dynamics of communities.

## 56 INTRODUCTION

57 An important feature of any ecological system is its resilience to external disturbances, which  
58 Pimm (1991) defined as the time to return to conditions before the disturbance. This also  
59 determines the magnitude of disturbances that can be absorbed before structures and  
60 processes affecting basic characteristics of the system are altered (Holling 1973), which  
61 Pimm termed the system's resistance to environmental changes. During a time when Earth's  
62 ecosystems change at an alarmingly high rate (Diaz *et al.* 2019), precise and easily  
63 interpretable measures of the capacity to withstand external disturbances become important to  
64 quantify and predict ecological changes. Still, quantification of ecological resilience remains  
65 challenging, mainly due to the complexity of the processes involved in structuring  
66 ecosystems both in time and space (Baho *et al.* 2017; Ross *et al.* 2021). Here we propose two  
67 measures that can be used assess the resilience of communities to permanent changes in the  
68 environment based on characteristics of the community dynamics.

69 An important characteristic of communities is the form of the distribution of species  
70 abundances (Preston 1948; Williams 1964; Tokeshi 1993). Their shape is dependent on the  
71 patterns in the population dynamics of the species constituting the community. For example,  
72 the neutral theory of community dynamics (Hubbell 2001) assumes that the dynamics is only  
73 affected by demographic stochasticity and generates Fisher's famous logarithmic series  
74 species abundance distribution (Fisher *et al.* 1943). Another, more ecologically realistic  
75 model for the population dynamics is to assume a loglinear model of density regulation and  
76 to include environmental stochasticity, which results in a lognormal species abundance model  
77 (Engen & Lande 1996b). Thus, specific assumptions about the underlying dynamics of the  
78 species affect temporal turnover rates of species, which influence the relationship between  
79 number species and total abundance of individuals in the community (McGill *et al.* 2007;

80 Sæther *et al.* 2013; Engen *et al.* 2017) and may generate stability as a consequence of long-  
81 term evolution of competing species (Engen *et al.* 2021) .

82         Modelling community dynamics have shown that the temporal variance in the log  
83 abundances of species can be partitioned into different components with an ecological  
84 meaningful interpretation (Engen & Lande 1996b, a; Engen 2007a; Engen *et al.* 2017).  
85 Empirical analyses of communities from several taxa have shown that in most cases the  
86 permanent heterogeneity among species in the dynamics, generated by species-specific  
87 differences in the stochastic population growth rates also giving variation in carrying  
88 capacities  $K$ , is the component explaining the largest proportion of the variance in the species  
89 abundance distribution (Engen *et al.* 2002; Lande *et al.* 2003; Grøtan *et al.* 2012; Grøtan *et*  
90 *al.* 2014; Solbu *et al.* 2018). This component can be interpreted as representing the effect of  
91 niche differentiation among the species (Chase & Leibold 2003; Engen *et al.* 2021).  
92 Additional important components affecting the dynamics are fluctuations in the environment  
93 influencing all species similarly over time as well as species-specific environmental  
94 stochasticity (Bowler *et al.* 2018). Thus, the temporal relationship between species number  
95 and abundance is determined by specific assumptions about how different ecological  
96 processes contribute to the community dynamics (Gotelli *et al.* 2017). We suggest that this  
97 can provide a quantitative framework to assess the impact of environmental changes on  
98 community structure.

99         Many changes of the environment affecting the species composition of communities  
100 do not only have a temporal component, but also influence the spatial distribution of  
101 abundances (Chase *et al.* 2019; Antao *et al.* 2021). For example, climate change and loss or  
102 fragmentation of important habitat types, which are considered as two of the major threats to  
103 the diversity of species on the Earth (Diaz *et al.* 2019). Variation in climate primarily affects  
104 the dynamics at a given locality either through the magnitude of environmental stochasticity

105 or by inducing permanent changes in the environment affecting resource abundances and  
106 population sizes in the average environment, whereas habitat loss primarily influences the  
107 spatial configuration of landscape. However, these two threats are not independent of each  
108 other because the stochastic influences on the population dynamics as well as community  
109 structure such as the total number of species tend to depend on area size (Rosenzweig 1995;  
110 Hanski & Gaggiotti 2004). As a consequence, the effects on the extinction risk of a species  
111 caused by an increase in the environmental stochasticity or by deterioration of the  
112 environment will be stronger in small than in large areas (Lande *et al.* 2003). Thus,  
113 decreasing area sizes combined with increased environmental stochasticity may have  
114 dramatic consequences for species diversity in a larger area. This illustrates that assessment  
115 of the resilience of communities should include a temporal as well as a spatial dimension  
116 (Allen *et al.* 2016; Jones *et al.* 2020).

117         One of the most general relationships in ecology is the increase in the number of  
118 species with increasing area (Rosenzweig 1995). In principle, such a relationship can also be  
119 used to estimate the number of species expected to be found when randomly sampling a sub-  
120 area or a random fraction of the individuals in the community. This approach was pioneered  
121 by Fisher *et al.* (1943), who found, using the well-known limiting form of the gamma  
122 distribution, that the number of species was approximately proportional to the log number of  
123 individuals in the sample. However, Preston (1962), Engen (1974) and May (1975) rather  
124 suggested a linear relationship on a double-logarithmic plot, which has received wide  
125 empirical support although the slopes show large variability (Rosenzweig 1995). Engen  
126 (2007b) showed, assuming a lognormal species abundance distribution, that these linear  
127 relationships at logarithmic scales were strongly influenced by the factors affecting the  
128 community dynamics. Thus, this indicates that species area curves can be used to characterize  
129 the impact of a permanent environmental change on the resilience of communities.

130           The purpose of the present paper is to show, following Engen (2007b, a), how  
 131 changes in overall resource availability or area affect the expected number of species in a  
 132 community, using a stochastic model for the community dynamics that includes permanent  
 133 species-specific differences in the population dynamics. This relationship will be used to  
 134 propose two metrics that can be used to characterize the *sensitivity* and *resistance* of the  
 135 community to permanent changes in the environment. We will then illustrate the application  
 136 of this approach by comparing the resilience of four European bird communities with very  
 137 different dynamical characteristics. Finally, we will analyse the sensitivity and resilience of  
 138 these communities to two specific forms of environmental change: a reduction in area size  
 139 and increased environmental stochasticity. This will enable us to evaluate which types of  
 140 communities that are most resilient against environmental change.

141

## 142 **MODEL FOR THE COMMUNITY DYNAMICS**

143 To illustrate the basic concepts, temporal variation in community structure is described based  
 144 on results obtained by Engen and Lande (1996b) using a Gompertz model of density  
 145 regulation (May 1981) with permanent differences among species in their dynamics. If the  
 146 vector of log abundances in a community with  $S$  species is  $\mathbf{X} = (X_1, X_2, \dots, X_S)$ , the  
 147 dynamics of the  $i$ 'th species can be described by a Ornstein-Uhlenbeck diffusion process  
 148 (Karlin & Taylor 1981)

$$149 \quad dX_i(t) = [r_i - \gamma X_i(t)]dt + \sigma_e dB_i(t), \quad (1)$$

150 where  $r_i$  is the growth rate of species  $i$  at small densities,  $\gamma$  is the strength of density  
 151 regulation and  $\sigma_e^2$  denotes the variance of the process, caused by environmental stochasticity.  
 152 The mean change in log abundance  $r_i - \gamma X_i$ , is linear at the logarithmic scale by the  
 153 Gompertz form of density regulation (Royama 1992). This loglinear diffusion process

154 produces a lognormal species abundance distribution (Engen & Lande 1996b), assuming  
 155 independent population dynamics among the species. Comparative analyses suggest that the  
 156 distribution of abundances of species in many communities fits this distribution quite well  
 157 (Ulrich *et al.* 2010). Furthermore, patterns of temporal variation in a large number of  
 158 communities from several taxa indicate evidence for stationarity of the dynamical process  
 159 (Dornelas *et al.* 2013; Gotelli *et al.* 2017).

160 We introduce heterogeneity among species in the population dynamics following  
 161 Engen and Lande (1996b) by assuming the growth rate  $r$  is normally distributed among  
 162 species with mean  $r_0$  and variance  $\sigma_r^2$ . Based on the characteristics of the stationary  
 163 distribution of the Ornstein-Uhlenbeck diffusion process (Karlin & Taylor 1981), the log  
 164 abundances are normally distributed with mean  $r / \gamma$  and variance  $\sigma_e^2 / 2\gamma$ . The heterogeneity  
 165 among species in their dynamics is introduced as variation in  $r / \gamma$ , which is equivalent to  
 166 variation in the carrying capacity  $K$  at a logarithmic scale. This gives the stationary  
 167 distribution with mean  $r_0 / \gamma$  and variance  $\sigma_e^2 / 2\gamma + \sigma_r^2 / \gamma^2$ .

168 The environmental variance in the population dynamics can be partitioned as  
 169  $\sigma_e^2 = \sigma_c^2 + \sigma_s^2$ , where  $\sigma_c^2$  denotes the common stochasticity in the environment affecting all  
 170 species similarly. The second term is the species-specific stochastic effects that yields a  
 171 temporal autocorrelation in log abundances,  $\text{cov}[X_i(t), X_i(t+u)] = \sigma_c^2 e^{-\gamma u} / 2\gamma$ , with  
 172 exponential decay at rate  $\gamma$ . The variance of log abundances among species, including  
 173 species-specific heterogeneity in the dynamics, becomes

$$174 \quad \text{var}[X_i(t)] = \frac{\sigma_s^2}{2\gamma} + \frac{\sigma_c^2}{2\gamma} + \frac{\sigma_r^2}{\gamma^2}. \quad (2)$$

175 For this dynamic community model Engen (2007b) showed that the expected number of  
 176 species in the community is

$$177 \quad E[S] = \frac{2\beta}{\sigma_e^2} e^{s_0/(\omega\sigma_e^2)} \sqrt{\pi\sigma_e^2/\omega} \Phi(\eta/\rho), \quad (3)$$

178 where  $\beta$  is the rate at which new species enter the community through speciation or  
 179 immigration,  $s_0$  is the mean stochastic growth rate (and  $r_0 = s_0 + \sigma_e^2/2$ ),  $\omega = \gamma - 2\sigma_r^2/\sigma_e^2$ ,  
 180  $\eta = s_0/\omega$ ,  $\rho^2 = \sigma_e^2/(2\omega)$  and  $\Phi$  is the standard normal integral. Similarly, the expected  
 181 number of individuals in the community is

$$182 \quad E[N] = \frac{2\beta}{\sigma_e^2} e^{s_0^2/(\omega\sigma_e^2)} \sqrt{\pi\sigma_e^2/\omega} e^{(s_0+\sigma_e^2/4)/\omega} \Phi(\eta/\rho + \rho). \quad (4)$$

183 The advantage of this approach is that it provides links between parameters  
 184 describing the dynamics of the single species, the form of the distribution of abundances of  
 185 species constituting the community and the community dynamics described by the  
 186 temporal turnover of species (Sæther *et al.* 2013; Engen *et al.* 2017). This enables us to  
 187 assess how different processes affecting fluctuations in abundance of single species affect  
 188 the temporal changes in species composition of the community. Here we focus on the  
 189 lognormal species abundance distributions (Sæther *et al.* 2013). Other assumptions about  
 190 the underlying dynamics will produce different species abundance distributions (Engen &  
 191 Lande 1996a; Hubbell 2001) and differences in turnover of species over time (Engen  
 192 2007a). Still, our basic concepts for evaluating ecological resilience will apply, irrespective  
 193 of assumptions regarding factors affecting the dynamics of single species.

194

## 195 MEASURES OF ECOLOGICAL RESILIENCE

196 Species composition and the total abundance of individuals in a community at a single  
 197 locality often shows large variability over time (Preston 1960; Williams 1964; Pimm  
 198 1991). Here we propose that an important impact of environmental changes on the species  
 199 diversity is how changes in total abundance (eq. 4) affect species numbers (eq. 3). The

200 *community sensitivity* can be expressed according to Engen (2007b) as the rate of change in  
 201 the log expected number of species with variation in the log expected total number of  
 202 individuals determined by varying area size or amount of resources, which is

$$203 \quad z = \frac{d \ln E[S]}{d \ln E[N]} = \frac{1 + \eta^2 / \rho^2 + G(\eta / \rho)}{1 + \eta^2 / \rho^2 + G(\eta / \rho + \rho) + 2\eta + \rho^2}, \quad (5)$$

204 where  $G(y) = y\phi(y) / \Phi(y)$ . Accordingly, a large value of  $z$  indicates a community in  
 205 which the number of species is strongly affected by a change in available resources.

206 Another measure of the effects of permanent changes in the environment is the  
 207 *community resistance*, defined as the rate of change in log number of individuals  $N$  with  
 208 respect to the expected number of species

$$209 \quad I = \frac{d \ln E[N]}{dE[S]} = \frac{d \ln E[N]}{E[S]d \ln E[S]} = 1 / (z E[S]), \quad (6)$$

210 which is the reduction in log community size that will result in a reduction of the expected  
 211 number of species equal to one (Engen 2007b).

212 To estimate community resistance  $I$ , we need an estimate of the expected number of  
 213 species. We estimate the expected number of species by

$$214 \quad \widehat{E[S]} = S_{observed} / (1 - p(0)), \quad (7)$$

215 where  $S_{observed}$  is the total number of unique species observed across all time points, and  
 216  $p(0)$  is the probability that a species is not observed over the same number of time points,  
 217 estimated by fitting the Poisson lognormal species abundance distribution (Bulmer 1974;  
 218 Sæther *et al.* 2013). Although this estimate often becomes uncertain (O'Hara 2005), we  
 219 propose that it still can be used to analyse overall trends in species numbers (Figure 1).

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222

## 223 ANALYSES OF RESILIENCE OF TEMPERATE BIRD COMMUNITIES

224 To illustrate the application of this approach to quantify the effects of environmental change  
 225 on the characteristics of communities, we use four long-term studies ( $\geq 37$  years) of temporal  
 226 variation in species abundances in four bird communities, located in European deciduous  
 227 forests. All population estimates were based on nest search or mapping of territorial  
 228 individuals within a specific area (Enemar 1959; Anonymous 1969). The two most northern  
 229 study areas, Ammarnäs and Budal, were located in subalpine birch forests in northern  
 230 Sweden ( $65^\circ\text{N}$ ) at 540 to 720 m a.s.l. (Enemar *et al.* 2004) and in Central Norway ( $62^\circ\text{N}$ ) at  
 231 750 to 920 m a.s.l. (Hogstad 2005), respectively. The other Swedish study area was located in  
 232 the Birdsong Valley in southern Sweden ( $55^\circ\text{N}$ ) containing a mixture of deciduous tree  
 233 species (see maps in Enemar *et al.* (1994)). The British study site was Eastern Wood, which  
 234 is an oak woodland located in the southern English county of Surrey ( $51^\circ\text{N}$ ). Here the  
 235 temporal variation in the composition of the avifauna was studied in a macro-ecological  
 236 perspective by Gaston and Blackburn (2000).

237

### 238 Estimation procedures

239 We model the species abundance distributions by a Poisson GLMM with the log link function

$$240 \ln \lambda_i(t) = \mu + k_i + s_i(t) + c(t). \quad (8)$$

241 Here  $\mu = r_0 / \gamma$  is the mean log abundance or the carrying capacity of species in the  
 242 community, which is the intercept in a GLMM. There are three random effects in this model:

243  $k_i$  is the species heterogeneity, describing variation among species in the carrying capacity,

244  $k_i \sim N(0, \sigma_k^2 / 2\gamma^2)$ . Following Engen and Lande (a, b), we can also describe species

245 heterogeneity as variation among species in the growth rate  $r$  since  $\text{var}[k_i] = \sigma_k^2 = \sigma_r^2 / \gamma^2$ .

246 Environmental stochasticity is described by two components, a species-specific and a

247 common response to fluctuations in the environment. The species-specific contribution to the  
 248 environmental variance is  $s_i(t) \sim N(0, \sigma_s^2 / 2\gamma)$ , which is temporally correlated at time steps  $t$   
 249 and  $u$  so that  $\text{cov}[s_i(t), s_i(t+u)] = \sigma_s^2 e^{-\gamma u} / 2\gamma$ . The common environmental variance is  $c(t) \sim$   
 250  $N(0, \sigma_c^2 / 2\gamma)$  and generates interspecific correlation in the noise (Loreau & de Mazancourt  
 251 2008). The environmental variance then becomes  $\sigma_e^2 = \sigma_s^2 + \sigma_c^2$ , which gives (eqn. 2) that the  
 252 total variance of the species abundance distribution is  $\sigma^2 = \sigma_s^2 / 2\gamma + \sigma_r^2 / \gamma^2 + \sigma_c^2 / 2\gamma$ . To  
 253 estimate community sustainability, we need the estimated mean log abundance,  $\eta = \mu$ , and  
 254 variation due to species specific responses to environmental fluctuations,  $\rho^2 = \sigma_s^2 / 2\gamma$ .

255 We estimate the parameters of the Poisson GLMM above using the package  
 256 `jnp` in R (Brooks et al. 2017, R Core Team 2021). When fitting a Poisson GLMM to  
 257 community data, the optimisation algorithm will in some cases find the among-species  
 258 variation to be close to zero. Although this might be the optimal value for the algorithm, it  
 259 does not necessarily make ecological sense. In these cases, we keep the value of among-  
 260 species variation fixed for a range of values and estimate the other parameters. This will  
 261 generate parameter estimates as a function of the fixed value for among-species variation. For  
 262 within-species variation, this function is convex, and therefore we select the value of among-  
 263 species variation that minimises the within-species variation. In many cases this value also  
 264 maximises the strength of density regulation or is close to the maximum.

265

## 266 RESULTS

267 In none of the communities a significant trend in the expected number of species recorded  
 268 was apparent (Figure 1). This indicates that the underlying assumption of a stationary  
 269 community dynamics is not violated. However, both species richness (Figure 1, Table 1) and  
 270 the relative contribution of different processes to the dynamics (Table 1) showed large

271 differences among the communities. The dynamics of the bird community in Budal was  
272 characterized by the largest species-specific response to environmental fluctuations,  
273 indicating large within-species differences in fluctuations over time. The strong density  
274 regulation in Budal also contributed to the largest ecological heterogeneity among species,  
275 described as variation in long-run growth rate ( $\sigma_r^2$ ). The two Swedish communities had  
276 similar strength of density regulation, but the species-specific response to environmental  
277 variation ( $\sigma_s^2$ ) was 50% larger, whereas the proportion of variation due to common  
278 environmental noise ( $\sigma_c^2 / 2\gamma$ ) was almost nine times higher in Ammarnäs than in the  
279 Birdsong Valley.

280         The community sensitivity was quite similar among two pairs of communities (Table  
281 2), with Ammarnäs and the Eastern Wood having the highest sensitivity, roughly 30% higher  
282 than in Budal and Birdsong Valley. Note that the difference in mean log abundance was  
283 substantial among communities (Table 1), however this does not affect the sensitivity as  
284 much as the variance components do.

285         Despite having similar sensitivities, the community resistance differs more  
286 considerably (Table 2). The smallest resistance was found in the community in the Eastern  
287 Wood due to the highest species richness and largest sensitivity. In contrast. Ammarnäs, with  
288 almost the same sensitivity, had twice resistance than was estimated for the community in the  
289 Eastern Wood. Budal, with low sensitivity and few species has the highest resistance, while  
290 Birdsong Valley has the second lowest resistance.

### 291 **Responses to environmental changes**

292 Another way to explore these differences among communities in their resilience is to  
293 examine the consequences of removal of a certain proportion of the available area. We  
294 simply assume that the expected number of individuals in the community is the product of the

295 expected number of individuals per unit area,  $E[D]$ , and area size,  $A$ , so that the expected  
 296 number of species is

$$297 \quad E[S] = cA^z, \quad (9)$$

298 where  $c = k(E[D])^z$  is assumed constant. From this species-area curve (Rosenzweig 1995)  
 299 we can calculate following Engen (2007b) for which area size  $A_1$  the number of species is  
 300 expected to be reduced by one  $A_1 = [(E[S] - 1)/c]^{1/z}$ . The relative change in area  $\Delta \ln A =$   
 301  $I$ , assuming the expected density is constant. Figure 3 shows that the structure of the bird  
 302 community in Budal was the one least affected by a reduction in area size. In contrast, a  
 303 relatively small reduction of the available area in the more diverse communities both in the  
 304 Birdsong Valley and in the Eastern Wood (see also Figure 2) was likely to cause a loss of one  
 305 species.

306 Another factor that can influence the resilience of communities is an altered pattern of  
 307 fluctuations in the environment, e.g. caused by climate change. When the species-specific  $\sigma_s^2$   
 308 environmental variance increases, the community sensitivity decreases (eqn. 5). Assuming  
 309 the constant  $k$  and  $E[D]$  remains fixed, so that  $c_{\text{new}} = k(E[D])^{z_{\text{new}}}$ , this implies that a larger  
 310 area is necessary to maintain the expected number when the environmental stochasticity is  
 311 increased (Figs. 4, S1) as the area required to maintain the observed number of species is  
 312  $A_{\text{new}} = (E[S]/c_{\text{new}})^{1/z_{\text{new}}}$ . In particular, the bird community in Budal and Birdsong Valley  
 313 was strongly affected by a change in environmental stochasticity (Figure 4).

314

## 315 **DISCUSSION**

316 Here we present a simple method for assessing the resilience of communities based on the  
 317 effects of changes in the expected number of species as function of abundance of individuals  
 318 in the community, determined by the available amount of area or resources. We propose a  
 319 metric that describes the absolute effect on species number, the resistance  $I$ , and the relative

320 change  $z$ , the sensitivity, to a permanent alteration of the environment. A comparison across  
321 four different bird communities showed that their resilience against a permanent  
322 environmental change showed large variation, mainly related to the relative contribution of  
323 environmental stochasticity to the community dynamics. An important aspect of this  
324 approach is that it can be used to quantitatively assess the impact of a permanent change in the  
325 environment, e.g. caused by loss of important habitat types or an increase of the stochastic  
326 fluctuations in the environment (Figs. 3, 4). Our approach assumes, however, an underlying  
327 lognormal species abundance distribution, which often represents a good approximation for  
328 the distribution of log abundances in many natural communities (Preston 1962; Williams  
329 1964; Rosenzweig 1995; Ulrich *et al.* 2010; Enquist *et al.* 2019).

330 Here we have used a dynamical model to estimate the parameters affecting the  
331 resilience of the bird communities. With more than one year of samples available, we are able  
332 to estimate different variance components, in particular among-species variation  
333 (heterogeneity) and within-species variation. The partitioning of the variance enables us to  
334 quantify the magnitude of species-specific responses to environmental fluctuations more  
335 accurately, which is the main component determining community sensitivity. Using only a  
336 single year of sample limits our options for inference and we must assume that the variation  
337 in species abundance is due to environmental fluctuations. Comparative studies including  
338 several taxa have shown that this component strongly affects patterns in the community  
339 dynamics (Lande *et al.* 2003, p. 177; Engen *et al.* 2011; Bellier *et al.* 2014; Solbu *et al.*  
340 2018). The consequence is likely to be an overestimate of the community sensitivity. One  
341 way to reduce this bias could be to fix several parameters based on *a priori* information about  
342 the magnitude of the different components, following the approach in Engen (2007b).

343 Another, more simple, approach would be to use properties by the Poisson-lognormal  
344 distribution to estimate the sensitivity  $z$  and resistance  $I$ . Estimation in a lognormal species

345 abundance model can then be done by appropriate specification of the sampling distribution  
346 (Sæther *et al.* 2013). For instance, Bulmer (1974) assumed that a species with a given  
347 abundance had a Poisson distributed number of individuals in a sample with parameter equal  
348 to the product of the sampling intensity  $\nu$ , i.e. the fraction of the community being sampled,  
349 and its abundance in the community. This approach was extended by Engen *et al.* (2002),  
350 who proposed to use the Poisson-lognormal distribution as sampling distribution to account  
351 for over-dispersion  $\theta$  relative to the Poisson distribution. Using this approach  $z$  and  $I$  can be  
352 expressed as estimates of  $\theta$  and  $\nu$  (Engen 2007b). If the sampling intensity and  
353 overdispersion are unknown, the resilience of the community must be based on estimation of  
354  $z$  and  $I$  using relevant values of these two parameters. In general, estimates of  $I$  decreases  
355 whereas estimates of  $z$  increases with decreasing sampling intensity (Figure 5), illustrating  
356 the importance of including estimates of sampling error or specifying underlying assumptions  
357 about the sampling procedures.

358         One of the most general patterns in ecology is the approximately linear increase at a  
359 logarithmic scale in species numbers with increasing area (Rosenzweig 1995). However, the  
360 large variation in the slopes of these relationships is poorly understood. A general outcome of  
361 the dynamical models developed by Engen (2007b, a) is that a relationship exists between the  
362 form of the species-area curve, determined by the community sensitivity  $z$ , and characteristics  
363 of the community dynamics. For instance, large species-specific effects of environmental  
364 stochasticity generate small values of  $z$  and small increases in species numbers with  
365 increasing area size. This means that the  $\alpha$  - and  $\beta$  - components of species diversity  
366 (Whittaker 1970, 1972) are closely interrelated, dependent on the patterns in the temporal  
367 dynamics. Thus, our approach can be used to assess both spatial and temporal resilience of  
368 communities to permanent changes in the environment (Allen *et al.* 2016).

369 Ecological resilience generally includes a time dimension, referring to the time needed  
370 for the system to return to the state before the disturbance (Pimm 1991; Baho *et al.* 2017). In  
371 our approach we do not measure resilience as a rate but rather consider the effects of a  
372 change in abundance on the number of species, assuming stationarity in the community  
373 dynamics after a disturbance. Consequently, the species is considered as the unit, ignoring  
374 any inter-specific differences in functional role (Roberts *et al.* 2019) which can affect  
375 species-specific influences on ecosystem characteristics (Fanin *et al.* 2018; Kardol *et al.*  
376 2018; Feit *et al.* 2019; Engen *et al.* 2021). However, the advantage of this approach is that  
377 community resistance and sensitivity relate directly to the underlying dynamics of the species  
378 which constitute the community and therefore provide comparable estimates (Table 2) based  
379 on transparent statistical methods.

380 Several studies of ecological resilience relate the amount of disturbance a system can  
381 withstand (Holling 1973) to basic characteristics of ecosystems (Gunderson 2000). A central  
382 focus has been to relate the degree of resilience to the deviation from an equilibrium state;  
383 thus, indicating a direct relationship between stability over time and resilience. Our approach  
384 focuses more on the dynamical characteristics of the system in variations around such an  
385 equilibrium reached after a disturbance. We show that permanent changes in the  
386 environment caused by both area loss and environmental stochasticity affect the community  
387 dynamics in this stationary model (Figs. 3, 4). Thus, this provides applicable measures of  
388 stability expressed by the dynamical characteristics of the community (eqn. 1, 2) and  
389 resilience (eqn. 3, 4), as highlighted by Holling (1973). In our four bird communities, both  
390 the resistance and sensitivity showed large variation (Table 1), dependent on the processes  
391 contributing most to fluctuations in the total abundance in the community.

392

393 Recent evidence strongly indicates large changes in structures of communities in ecosystems  
394 all over the world (Blowes *et al.* 2019; van Klink *et al.* 2020; Eichenberg *et al.* 2021).  
395 However, quantifying the extent of these changes and future consequences is often difficult,  
396 mainly related to challenges in accounting for differences among species in their detectability  
397 (Yoccoz *et al.* 2001). Our approach provides a general approach that can be used to compare  
398 the effects permanent changes both at an absolute and relative scale, which facilitate  
399 identification of communities most at risk.

400

#### 401 **ACKNOWLEDGEMENT**

402 This work was supported by the Research Council of Norway (SFF-III 223257) and the  
403 Norwegian Environment Agency.

404

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- 622
- 623

624 **Table 1.** Estimated parameters characterizing the dynamics of four European bird  
 625 communities.  $\mu$  is the mean log abundance and  $\sigma^2$  is the total variance in the species  
 626 abundance distribution. The environmental variance  $\sigma_e^2$  is decomposed into additive  
 627 components due to a common effect across species on the dynamics  $\sigma_c^2$  as well as a species-  
 628 specific effect  $\sigma_s^2$ . The permanent heterogeneity in the dynamics among species is  
 629 characterized by the variance in the the population growth rate  $\sigma_r^2$  as well in the carrying  
 630 capacity  $\sigma_K^2$ .  $\gamma$  expresses the strength of density-dependence, i.e. the inverse of the return  
 631 time to the equilibrium population size.  $S_{observed}$  is the total number of species observed  
 632 throughout the study period, and  $\widehat{ES}$  is the estimated total number of species in the  
 633 community.

Locality	$\mu$	$\sigma^2$	$\sigma_e^2/2\gamma$	$\sigma_s^2/2\gamma$	$\sigma_c^2/2\gamma$	$\sigma_K^2$	$\sigma_r^2$	$\sigma_r^2$	$\gamma$	$S_{observed}$	$\widehat{ES}$
Ammarnäs	-0.904	6.366	1.117	1.064	0.053	5.249	0.038	0.002	0.018	19	21
Budal	-0.275	8.961	1.705	1.674	0.031	7.256	0.335	0.073	0.100	20	20
Birdsong											
Valley	-0.618	9.544	1.776	1.770	0.006	7.768	0.057	0.002	0.016	39	45
Eastern											
Wood	0.250	4.694	0.852	0.823	0.029	3.842	0.019	0.001	0.012	45	47

634

635

636 **TABLE 2.** The sensitivity  $z$  and the resistance of four bird communities to permanent changes  
 637 in the community calculated based on the estimated total number of species recorded in the  
 638 community.  $z$  expresses how the rate of change in the log expected number of species  
 639 depends on variation in the log expected total number of individuals.  $I$  can be interpreted as  
 640 the proportional reduction in community size that will give a reduction in the expected  
 641 number of species equal to one.

Locality	Area (hectare)	$z$	$I$
Ammarnäs	900	0.457	0.102
Budal	24	0.345	0.143
Birdsong Valley	13	0.341	0.066
Eastern Wood	16	0.469	0.045

642

643 **LEGEND TO FIGURES**

644 **FIGURE 1.** Annual variation in the estimated number of species in the four bird  
 645 communities. Observer number of species a given year (open circles). Estimated number of  
 646 species a given year (filled circles), based on fitting a univariate Poisson lognormal  
 647 distribution. The estimated total number of species in the communities,  $\widehat{ES}$ , as the number of  
 648 years increases along the x-axis (solid lines). The total number of observed species in the  
 649 communities,  $S_{\text{observed}}$ , (dotted horizontal line).

650

651 **FIGURE 2.** The relationship between number of species and area based on estimates of the  
 652 sensitivity  $z$  to an environmental change (Table 2) and a simple species-area relationship (eq.  
 653 9).

654

655 **FIGURE 3.** The proportion of species remaining as function of the proportion of area  
 656 removed in four bird communities. The effect of area removal was calculated from a simple  
 657 species-area relationship (eq. 9). The points indicate the relative decrease of area in each  
 658 locality to give a expected reduction in the number of species by  $1 A_i$ .

659

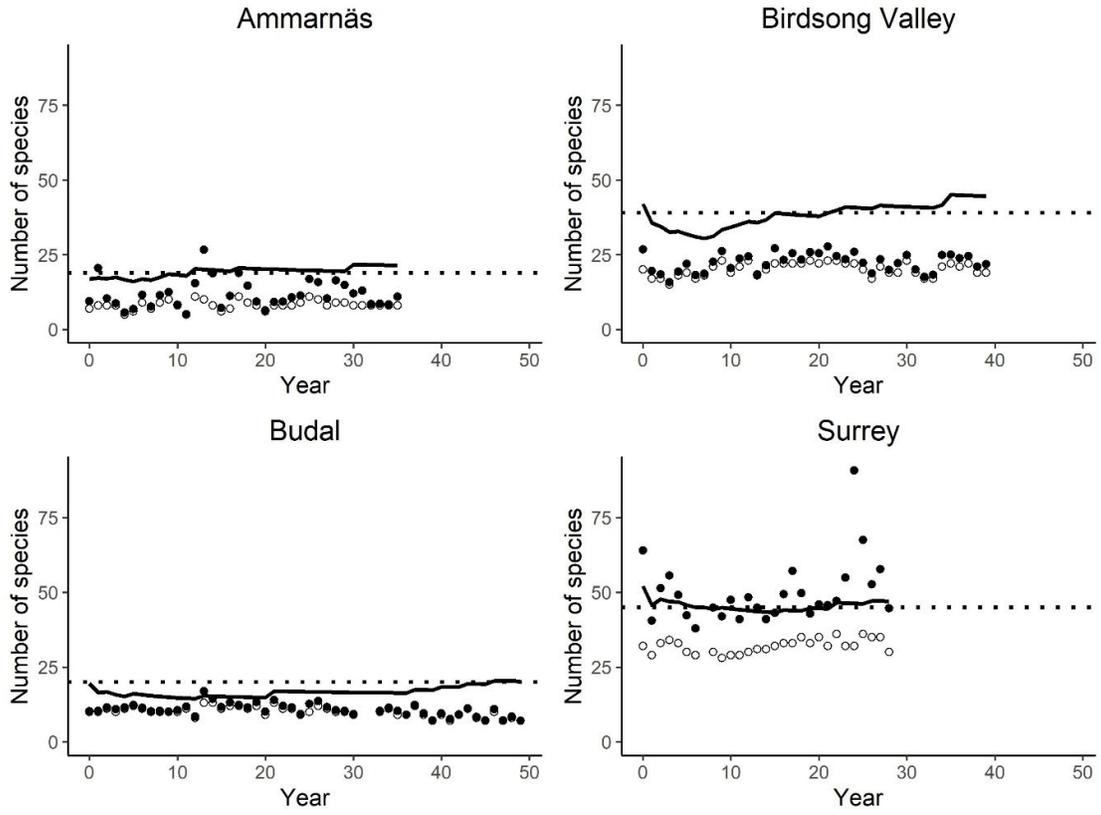
660 **FIGURE 4.** Relative change in area size required to maintain the expected number of species  
 661 as function of variation in environmental stochasticity.

662

663 **FIGURE 5.** The estimate of sensitivity  $z$  (a) and resistance  $I$  (b) as a function of sampling  
 664 intensity The most intense sampling occurs close to origo.

665

666

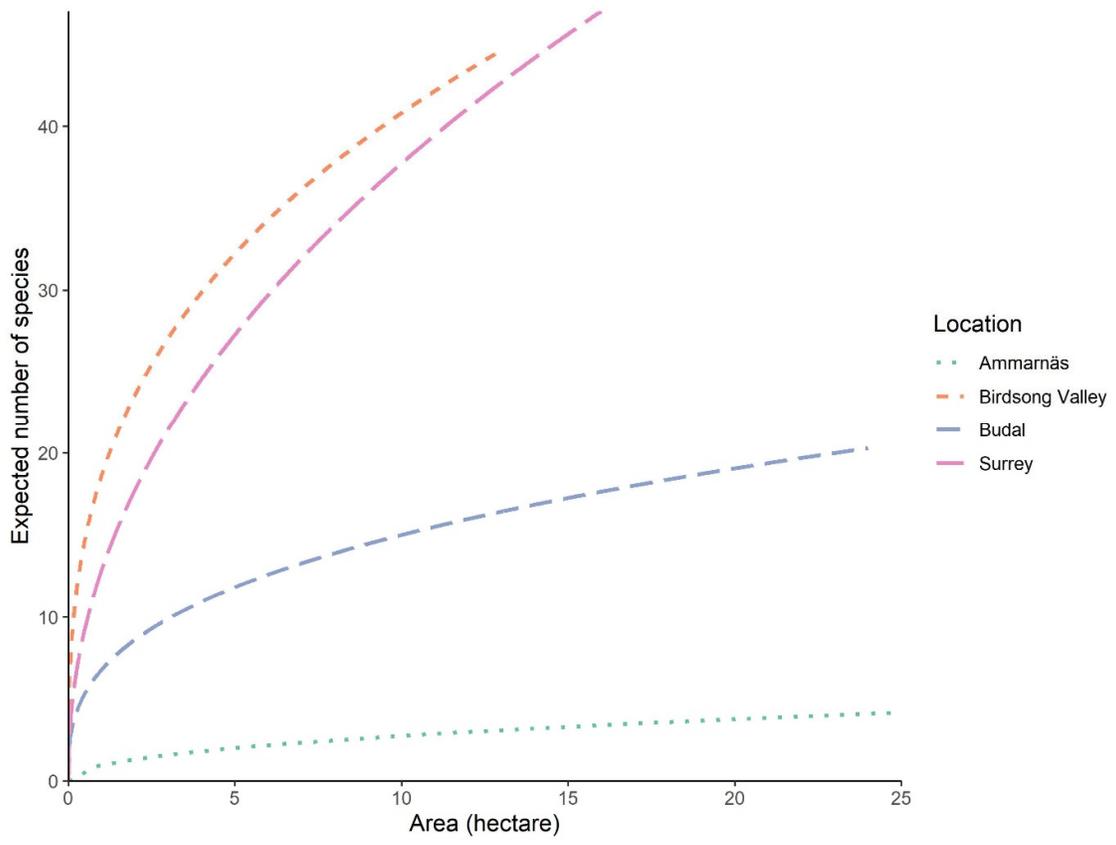


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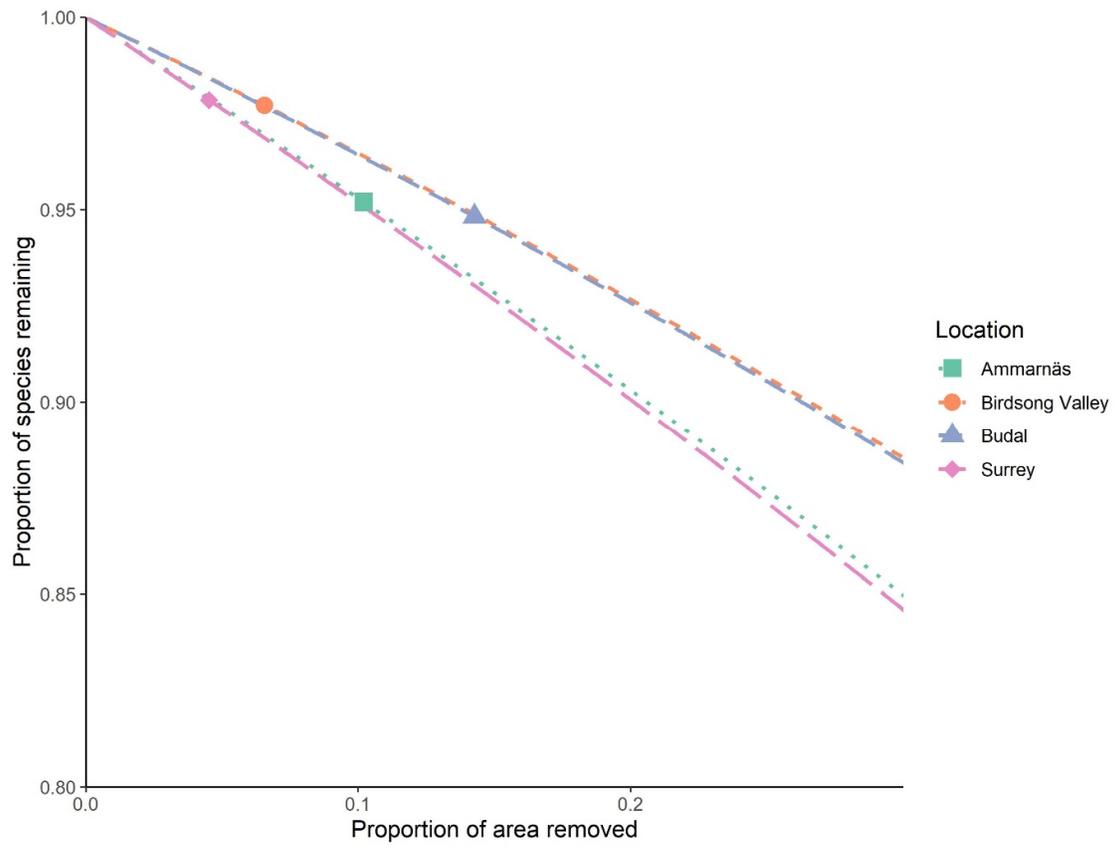
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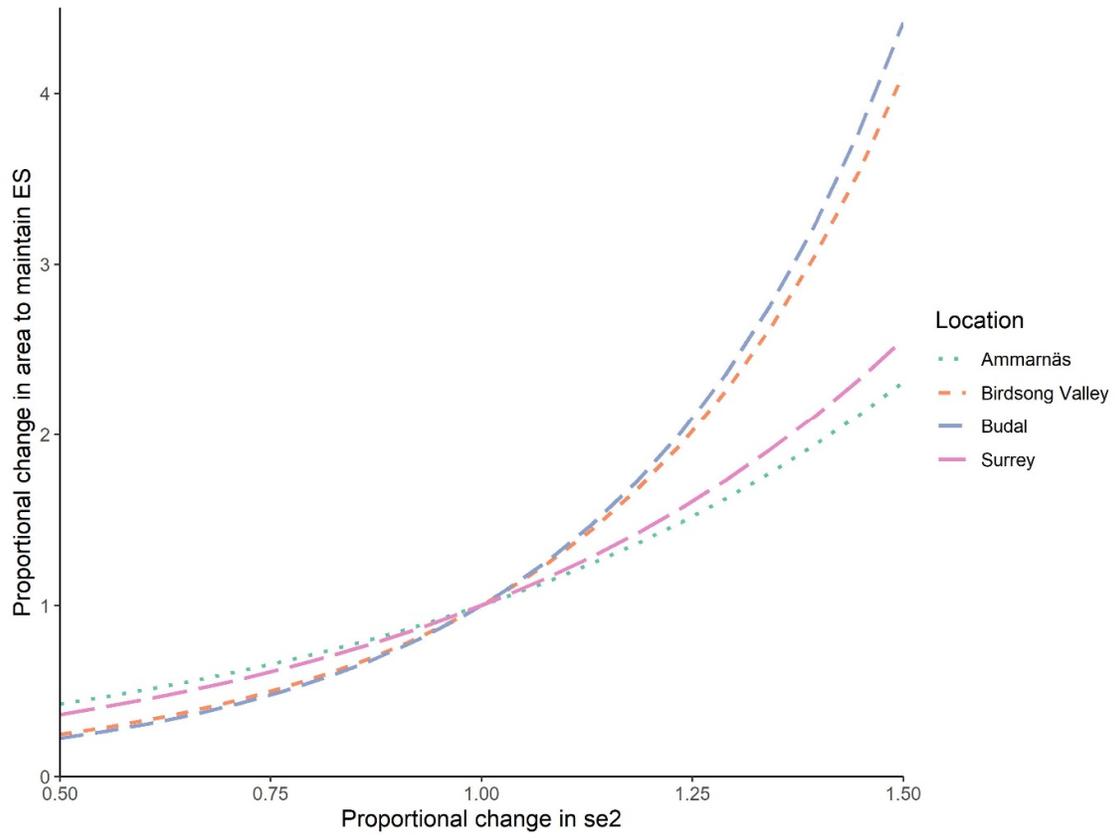


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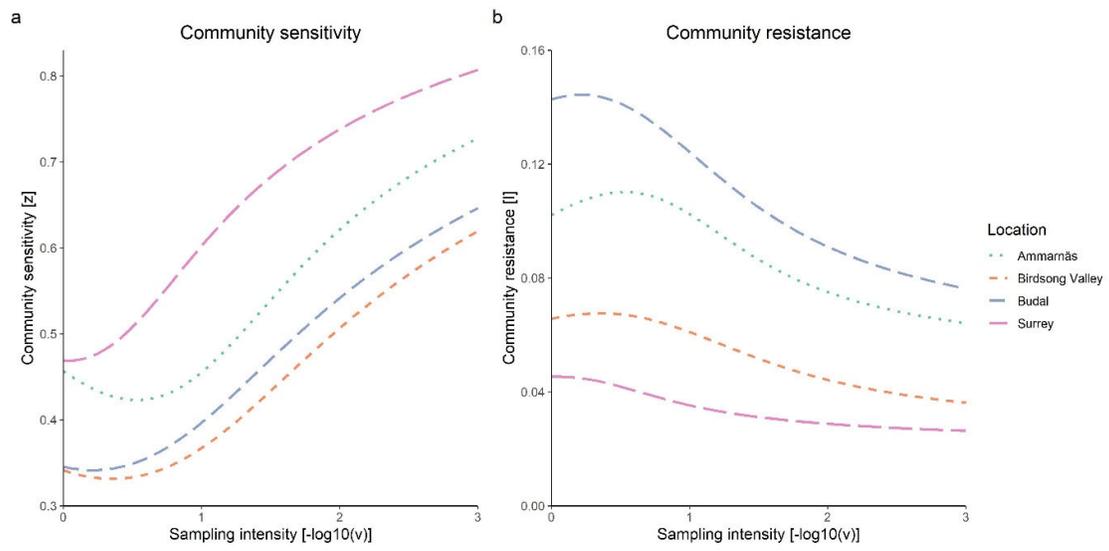
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679

### Appendix A

680

Figure S1: Required area to maintain expected number of species as the community

681

sensitivity changes due to changes in species-specific response to environmental variation

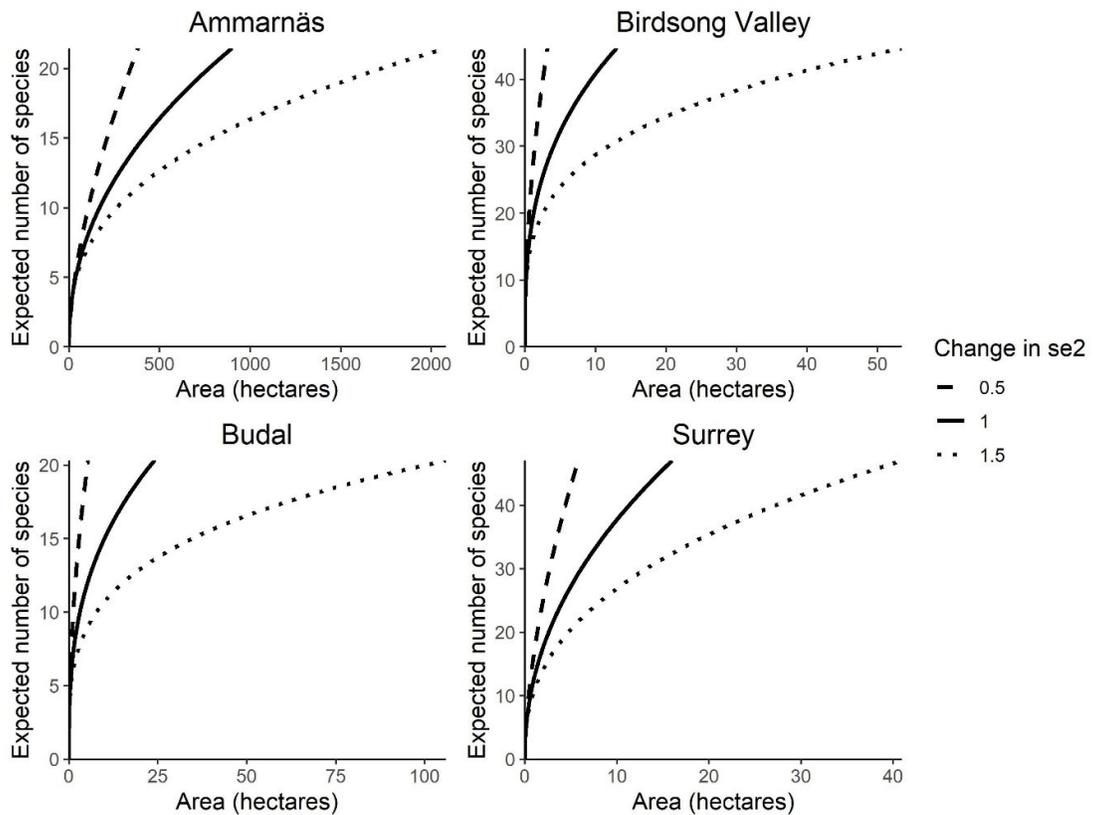
682

through  $cA^z$ . That is,  $c$  is fixed, while  $z$  changes with species-specific response to

683

environmental variation and  $A$  (x-axis) determines the expected number of species (y-axis).

684



685